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Name

Reg. No.....

## FOURTH SEMESTER B.Com. DEGREE EXAMINATION, MAY 2011

(CCSS)

		Con	plem	entary				
		BC 4C O4—QUANTITATIV	E TE	CHNIQUES FOR BUSINESS				
T	ree Ho			Maximum : 30 Weightage				
0	bjective	Type Questions. Answer all tu	elve q	uestions :				
		he correct answer :		Succession to both Puter's as productions. A second				
	I If the	e two lines of regression are pericient is:	rpendi	icular to each other, then the value of correlation				
	(a)	+ 1.	(b)	-1.				
	(c)	0.	(d)	any positive value.				
2 The limiting relative frequency approach to probability is known as:								
		Statistical probability.		Classical probability.				
	(c)	Mathematical probability.	(d)	All the above.				
3	A dist	A distribution in which mean is equal to variance is:						
	(a)	Binomial distribution.	(b)	Gamma distribution.				
	(c)	Normal distribution.	(d)	Poisson distribution.				
4	Size of critical region is known as:							
	(a)	power of the test.	(b)	size of type II erorr.				
	(c)	critical value of test statistic.	(d)	size of the test.				
he	blanks	and the state of t		of tem and sorts guidanteen out as Jenis?				
5	The m	ean of binomial distribution $b(r)$	ı, p) is	TOTAL COLOR DE CONTROL				
6	The hy	ypothesis that the population n f the sample size is large.	iean h	as a specified value can be tested by —				
7	If there are two variables X and Y, there can be atmost ———— regression lines.							
	Totality of all possible outcomes of a random experiment is called ———.							
	followi							
9	Give the limits within which probability lies.							

10 What is the mean of r.v.X if  $X \sim N(5, 4)$ ?

- 11 What will be the value of correlation coefficient if X and Y are independent?
- 12 What will be degrees of freedom for chi-square in case of contingency table of order  $4 \times 3$  (12 ×  $\frac{1}{4}$  = 3 weight

II. Short Answer Questions. Answer all nine questions:

- 13 Define simple and composite hypothesis. Give examples.
- 14 Define (a) Mutually exclusive events and ; (b) Independent events. Give example.
- 15 Give the classical definition of probability.
- 16 Give the applications of Quantitative Techniques in business management.
- 17 In tossing tree coins at a time, what is the probability of getting at most one head.
- 18 A population is distributed as normal with mean  $\mu$  and standard deviation, 10.24. A sam of 576 items has a mean 4.7. What is the value of the test statistic to test  $H_0$ :  $\mu = 5.2$ ?
- 19 If  $\overline{X}=66.6$ ,  $\overline{Y}=66.3$ ,  $b_{yx}=0.507$  and  $b_{xy}=0.655$ , with down :
  - (i) regression line of X on Y and
  - (ii) regression line of Y on X.
- 20 Write down the charactertics of a normal distribution.
- 21 If  $X \sim b$  (n, p) with E(X) = 4 and  $V(X) = \frac{4}{3}$ , find P(X > 5).

 $(9 \times 1 = 9 \text{ weights})$ 

- III. Short essays or paragraph questions. Answer any five questions from seven :
  - 22 A problem is given to five students A, B, C, D and E. Their chances of solving it are:

$$\frac{1}{2}$$
,  $\frac{1}{3}$ ,  $\frac{1}{4}$ ,  $\frac{1}{5}$  and  $\frac{1}{6}$ .

What is the probability that the problem is solved?

- 23 What is the probability that a leap year will contain 53 Sundays?
- 24 In an intelligence test administered to 1,000 students the score follows normal distribut with mean 42 and standard deviation 24. Find the number of students exceeding a score of
- 25 The manufacturer claims that only 4% of the items supplied by him are defective. A rand sample of 600 items contained 36 defectives. Test the claim of the manufacturer at 5% leve significance.